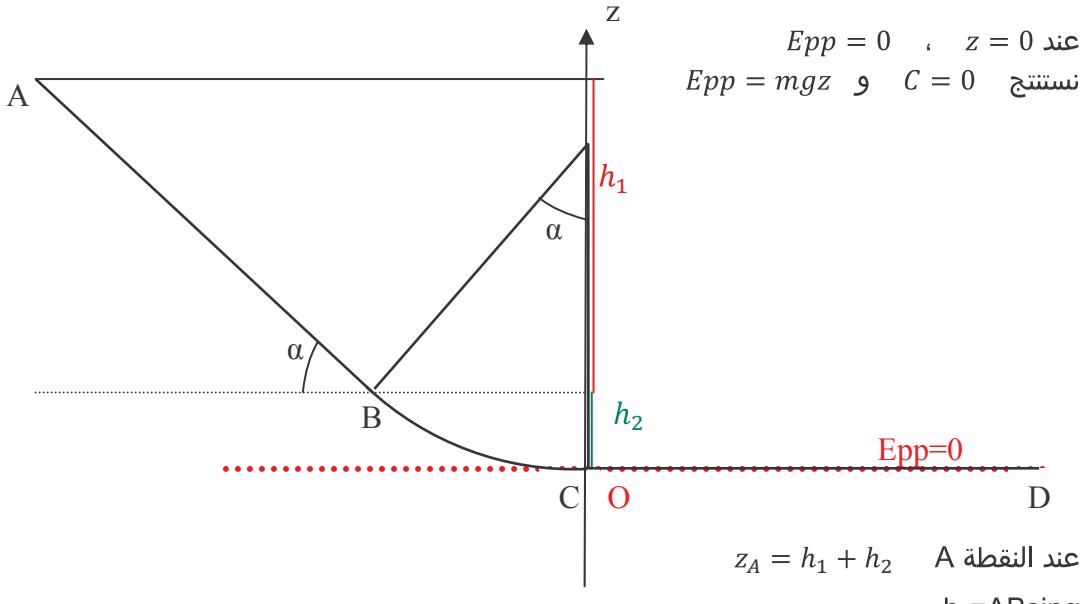


حل التمرين 07

1. تعبير طاقة الوضع الثقالية :



Resulting expression for potential energy at point A : $z_A = AB \sin \alpha + r(1 - \cos \alpha)$

$$Epp_A = mgz_A \Rightarrow Epp_A = mg(AB \sin \alpha + r(1 - \cos \alpha))$$

Express mechanical energy at point A : $Em_A = Epp_A + Ec_A$

$$Em_A = mg(AB \sin \alpha + r(1 - \cos \alpha)), \quad Em_A = Epp_A \text{ because } Ec_A = 0$$

Numberical application : $Em_A = Epp_A = 15,20 \text{ J}$

2. In position B : $Epp_B = mgz_B$

$$Epp_B = mgr(1 - \cos \alpha), \quad z_B = r(1 - \cos \alpha)$$

Numberical application : $Epp_B = 1,68 \text{ J}$

Express kinetic energy : In absence of friction, mechanical energy is conserved, therefore

$$Ec_B = Em_B - Epp_B \quad \text{resulting} \quad Em_B = Epp_B + Ec_B$$

Numberical application : $Ec_B = 13,25 \text{ J}$

3. In position C : $Epp_C = 0$ (reference state)

Express kinetic energy : In absence of friction, mechanical energy is conserved, therefore

$$Ec_C = Em_C - Epp_C \quad \text{resulting} \quad Em_C = Ec_C$$

Numberical application : $Ec_C = 15,20 \text{ J}$

4. Between C and D, the movement is frictionless, mechanical energy is conserved.

Change in mechanical energy is equal to work done by friction :

$$Em_C - Em_D = W_f$$

$$Em_C = 0 \quad \text{resulting} \quad Ec_C = 0 \quad \text{and} \quad Epp_C = 0$$

$$W_f = -15,20 \text{ J} \quad \text{resulting} \quad W_f = -Em_C$$

Heat released during friction : $Q = 15,20 \text{ J}$